

plus-ify^{11,40}

plus-ify{!l!}{
 $(es; ff; is_req; is_ack; awaiting; owes_ack)$
 $\equiv_{\text{def}} \forall i, j: ff.C.$
 $owes_ack(i, j) \text{ initially}@i = ff \& awaiting(i, j) \text{ initially}@i = ff$
 $\& (\forall e: E.$
 $\quad ([e: i \dashv is_req \rightarrow j] \Rightarrow ((awaiting(i, j) \text{ when } e) = ff))$
 $\quad \& ([e: i \dashv is_ack \dashv j] \Rightarrow ((awaiting(i, j) \text{ after } e) = ff))$
 $\quad \& ([e: i \dashv is_req \rightarrow j] \Rightarrow ((awaiting(i, j) \text{ after } e) = tt))$
 $\quad \& ((loc(e) = i \& (\neg((awaiting(i, j) \text{ after } e) = (awaiting(i, j) \text{ when } e))))$
 $\quad \Rightarrow ([e: i \dashv is_ack \dashv j] \vee [e: i \dashv is_req \rightarrow j]))$
 $\quad \& ([e: i \dashv is_ack \rightarrow j] \Rightarrow ((owes_ack(i, j) \text{ when } e) = tt))$
 $\quad \& ([e: i \dashv is_req \dashv j] \Rightarrow ((owes_ack(i, j) \text{ after } e) = tt))$
 $\quad \& ([e: i \dashv is_ack \rightarrow j] \Rightarrow ((owes_ack(i, j) \text{ after } e) = ff))$
 $\quad \& ((loc(e) = i \& (\neg((owes_ack(i, j) \text{ after } e) = (owes_ack(i, j) \text{ when } e))))$
 $\quad \Rightarrow ([e: i \dashv is_req \dashv j] \vee [e: i \dashv is_ack \rightarrow j]))$
 $\quad \& (((loc(e) = i) \text{ c}\wedge ((owes_ack(i, j) \text{ after } e) = tt)))$
 $\quad \Rightarrow (\exists e': E. ((e < e') \& [e': i \dashv is_ack \rightarrow j])))$

clarification:

plus-ify{!l!}{
 $(es; ff; is_req; is_ack; awaiting; owes_ack)$
 $\equiv_{\text{def}} \forall i: ff.C, j: ff.C.$
 $es\text{-initially}(es; i; owes_ack(i, j)) = ff \in \mathbb{B} \& es\text{-initially}(es; i; awaiting(i, j)) = ff \in \mathbb{B}$
 $\& (\forall e: es.E(es).$
 $\quad (snd-it(ff; is_req; e; i; j) \Rightarrow (es\text{-when}(es; (awaiting(i, j)); e) = ff \in \mathbb{B}))$
 $\quad \& (rcv-it(ff; is_ack; e; i; j) \Rightarrow (es\text{-after}(es; (awaiting(i, j)); e) = ff \in \mathbb{B}))$
 $\quad \& (snd-it(ff; is_req; e; i; j) \Rightarrow (es\text{-after}(es; (awaiting(i, j)); e) = tt \in \mathbb{B}))$
 $\quad \& ((es\text{-loc}(es; e) = i \in Id$
 $\quad \& (\neg(es\text{-after}(es; (awaiting(i, j)); e) = es\text{-when}(es; (awaiting(i, j)); e) \in \mathbb{B})))$
 $\quad \Rightarrow (rcv-it(ff; is_ack; e; i; j) \vee snd-it(ff; is_req; e; i; j)))$
 $\quad \& (snd-it(ff; is_ack; e; i; j) \Rightarrow (es\text{-when}(es; (owes_ack(i, j)); e) = tt \in \mathbb{B}))$
 $\quad \& (rcv-it(ff; is_req; e; i; j) \Rightarrow (es\text{-after}(es; (owes_ack(i, j)); e) = tt \in \mathbb{B}))$
 $\quad \& (snd-it(ff; is_ack; e; i; j) \Rightarrow (es\text{-after}(es; (owes_ack(i, j)); e) = ff \in \mathbb{B}))$
 $\quad \& ((es\text{-loc}(es; e) = i \in Id$
 $\quad \& (\neg(es\text{-after}(es; (owes_ack(i, j)); e) = es\text{-when}(es; (owes_ack(i, j)); e) \in \mathbb{B})))$
 $\quad \Rightarrow (rcv-it(ff; is_req; e; i; j) \vee snd-it(ff; is_ack; e; i; j)))$
 $\quad \& (((es\text{-loc}(es; e) = i \in Id) \text{ c}\wedge (es\text{-after}(es; (owes_ack(i, j)); e) = tt \in \mathbb{B})))$
 $\quad \Rightarrow (\exists e': es.E(es). (es\text{-causl}(es; e; e') \& snd-it(ff; is_ack; e'; i; j))))$